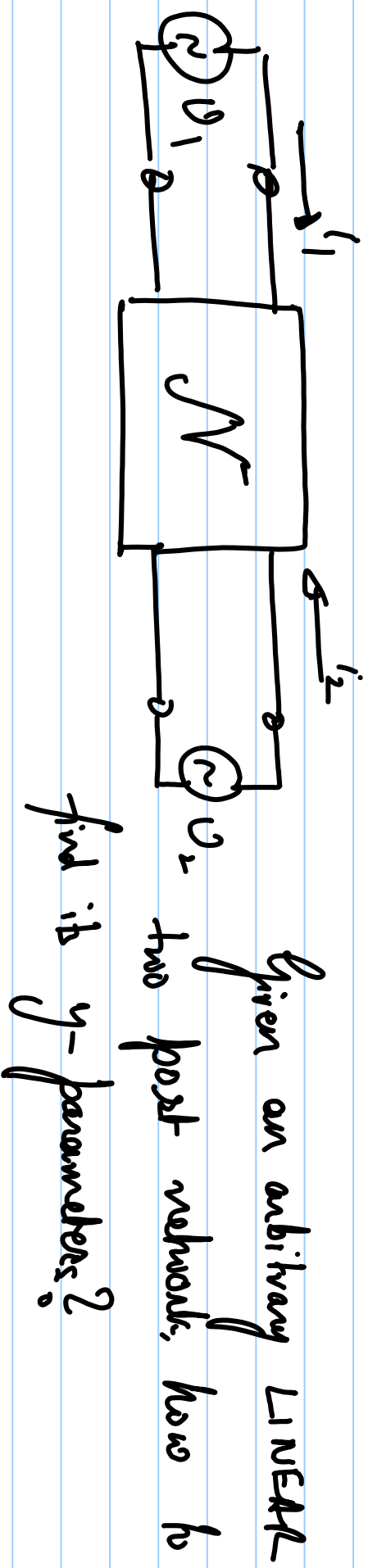


Question - Set #4



By definition:

$$i_1 = y_{11} v_1 + y_{12} v_2$$

$$i_2 = y_{21} v_1 + y_{22} v_2$$

$\therefore y_{11} = \frac{i_1}{v_1}$ if $v_2 = 0$

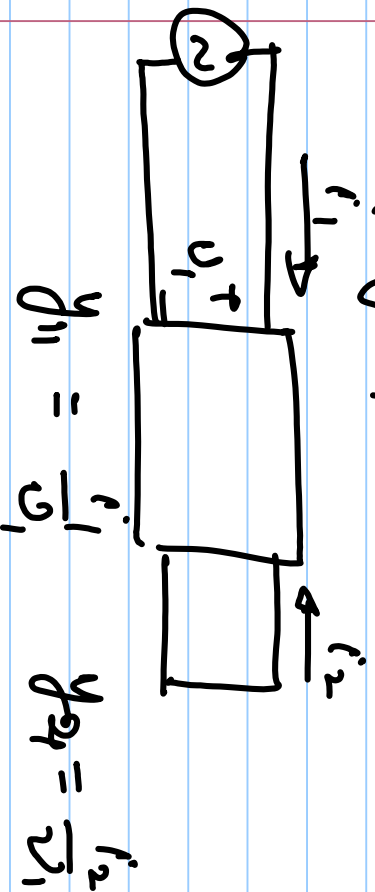
$$y_{12} = \frac{i_1}{v_2}$$
 if $v_1 = 0$

$y_{21} = \frac{i_2}{v_1}$ if $v_2 = 0$

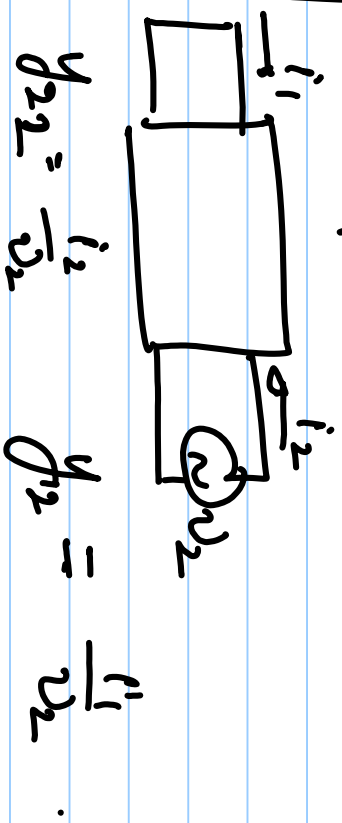
$$y_{22} = \frac{i_2}{v_2}$$
 if $v_1 = 0$

Notice that the y -parameters can be experimentally obtained by "short" circuiting one of the ports observing the currents through a port when some voltage is applied at one of the ports. (THUS)

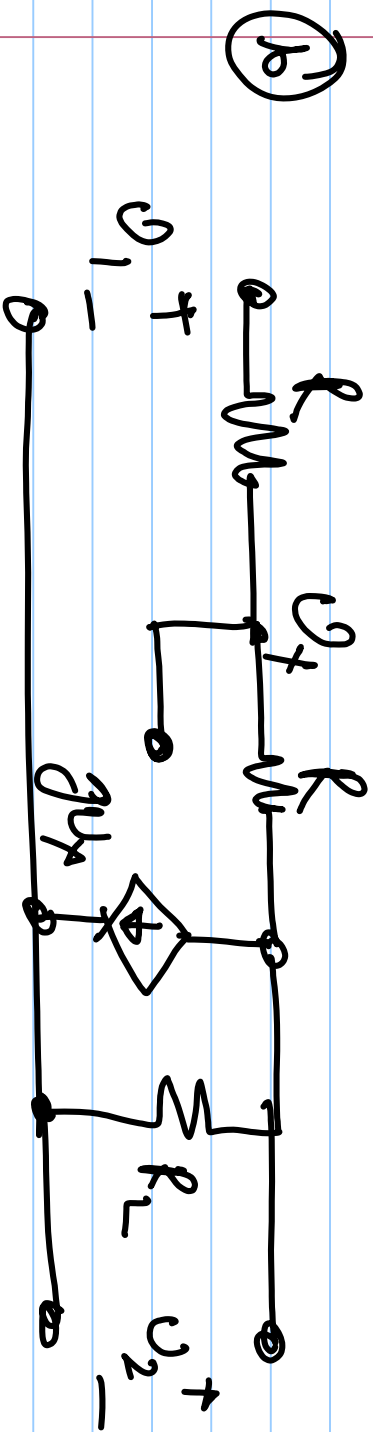
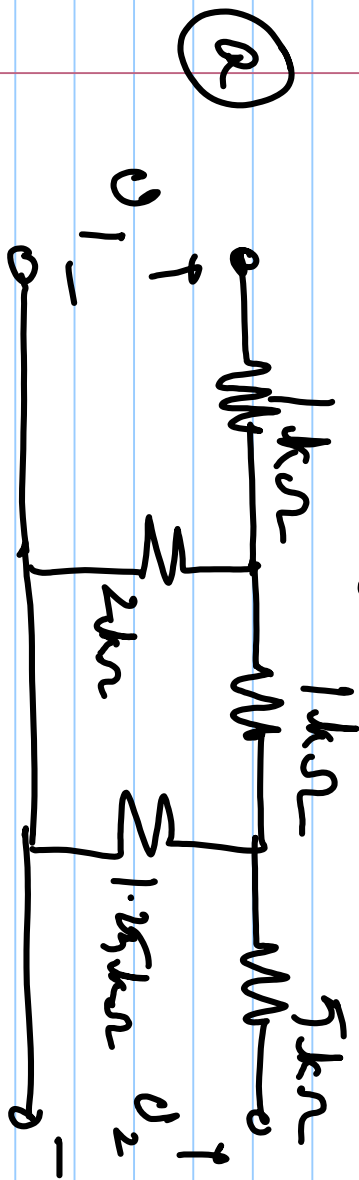
To find y_{11} and y_{21} short port 2 and apply i/p at port 1

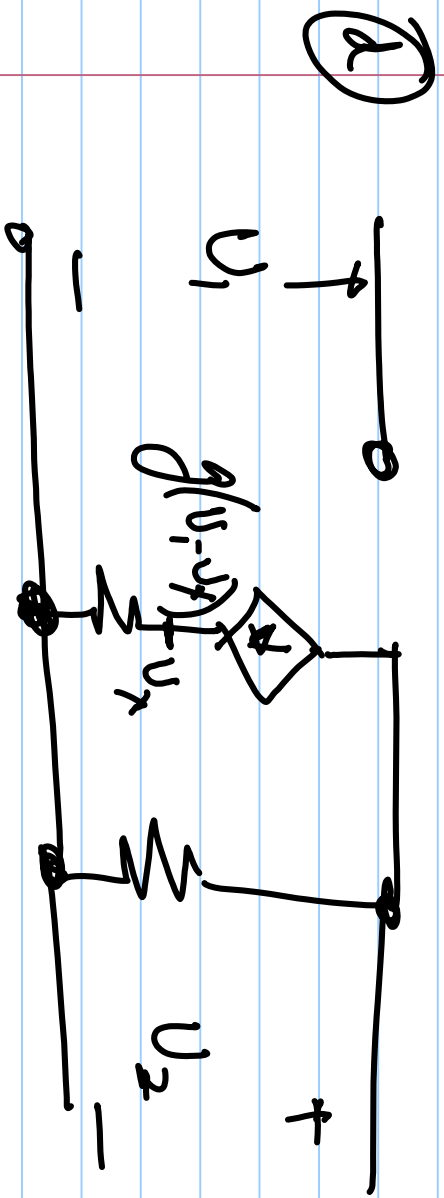
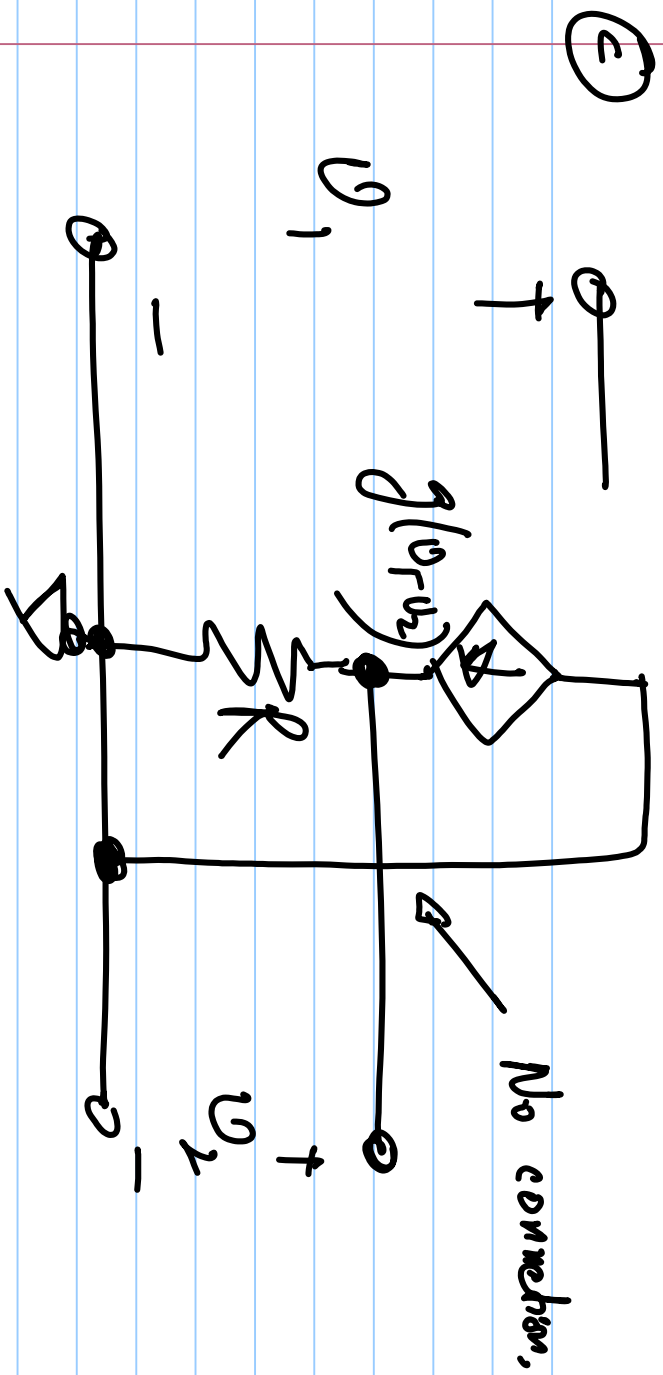


To find y_{12} and y_{22} short port 1 and apply i/p at port 2



① Find the y -parameters for the following networks

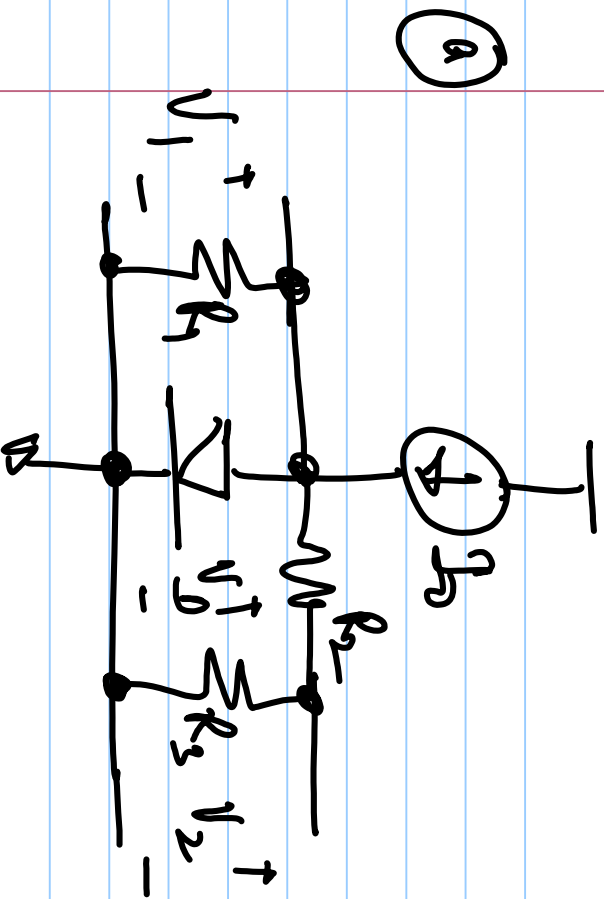




② What happens if one of the elements in the network is non-linear?

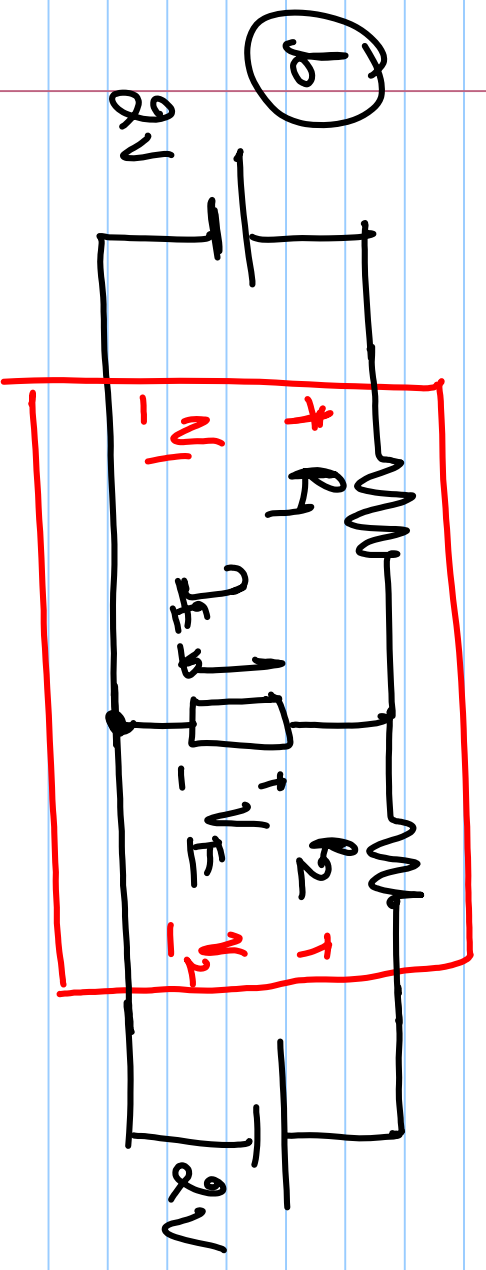
To obtain the linearised y -param of the overall two-port network, we need to linearise the non-linear element.

Find the small-signal y -parameter of the following networks.



$I_0 = 10 \mu A$
 $R_1 = 2 k\Omega$, $R_2 = R_3 = 1 k\Omega$

Assume $V_D = 0.7 V$ for quiescent point calculation if the diode is on.



$I_E = \alpha V_E^2$, $\alpha = 1 mS$
 $V_E < 0$ is invalid.
 $R_1 = 1 k\Omega$ $R_2 = 2 k\Omega$

(c) In both (a) and (b) you could have replaced the non-linear element with its incremental equivalent, desensitized the current and the voltage sources and found the small-signal y -params from the equivalent small-signal network.

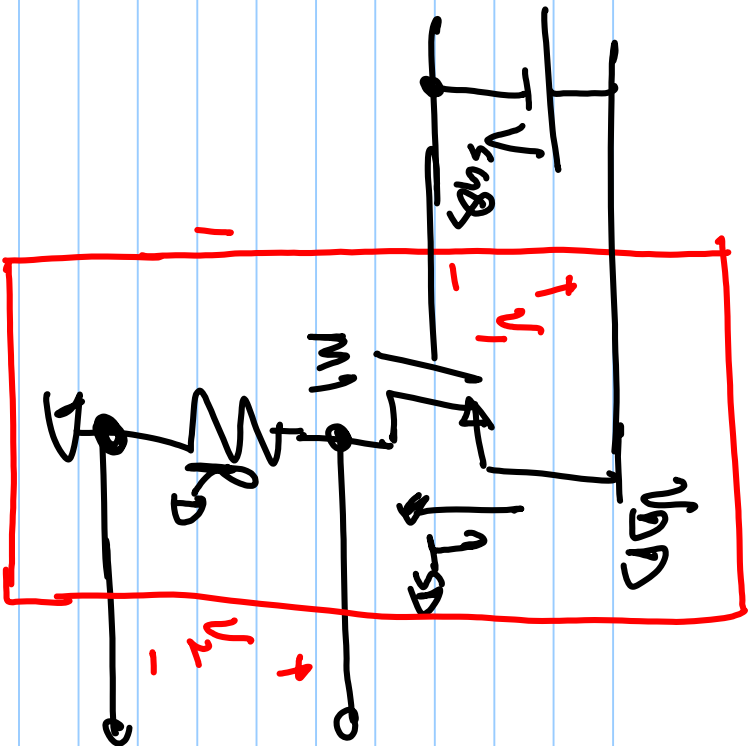
However, when you are in a lab, and are trying to experimentally find the "small-signal" y -params you will not be able to desensitize the current and voltage sources. Then how would you find the "small-signal"

g-programs experimentally?

Hint: you will have to preserve the Q-points and apply incremental voltages while "incrementally" shifting one on the other parts.

Do this exercise for the networks in 2 (a) and (b) and match your answers.

③



$$V_{DS} = 5V, \quad V_{thp} = 1V, \quad V_{scgs} = 2V$$

$$\mu_{fex} = 0.1 \text{ mA/V}^2 \quad W/L = 20$$

$$R_D = 2 \text{ k}\Omega$$

① Find I_{SDS} , V_{DS} .

② Replace M1 with its small-signal equivalent

③ Find the small-signal y -parameters, assuming the ports are at V_1 and V_2 .

④ Apply a small-signal i/p across V_1 and find V_2/V_1 .