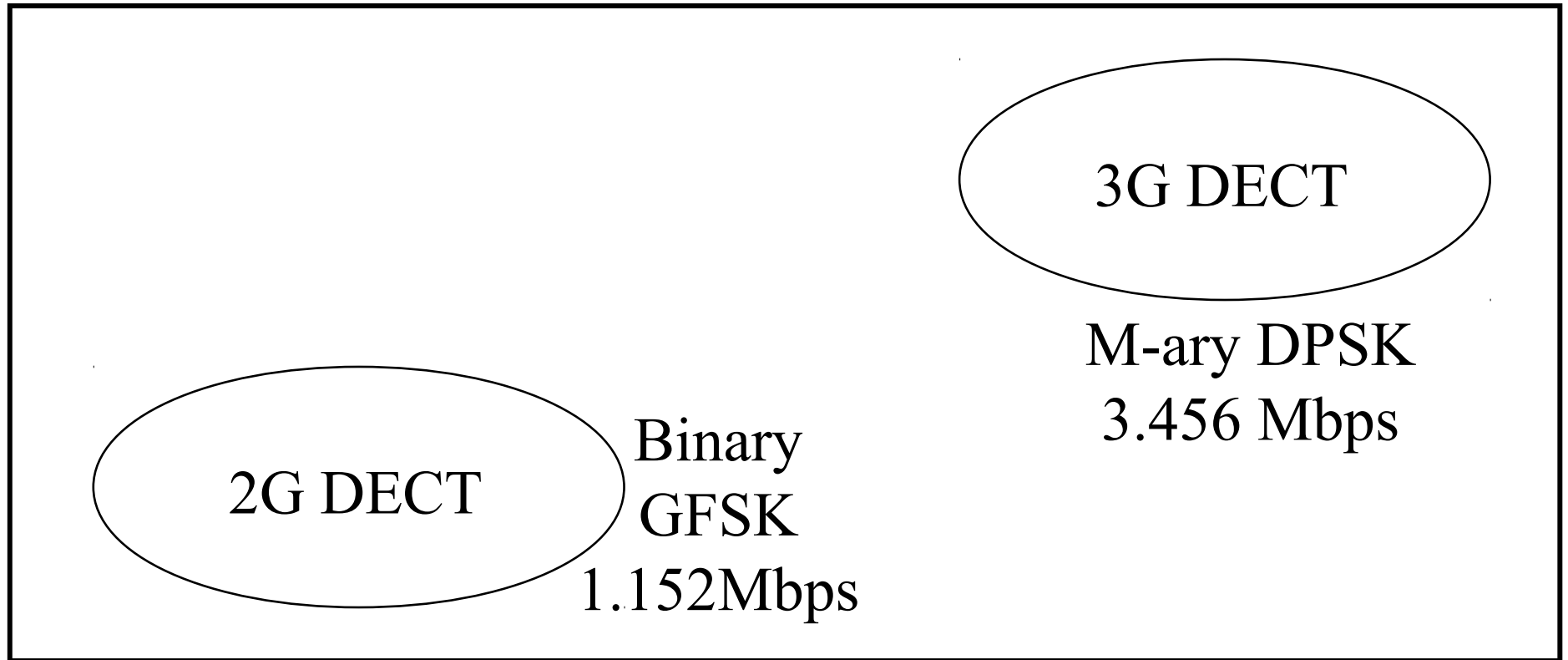


# Design of a Transceiver for 3G DECT Physical Layer

- Rohit  
Budhiraja

# The Big Picture



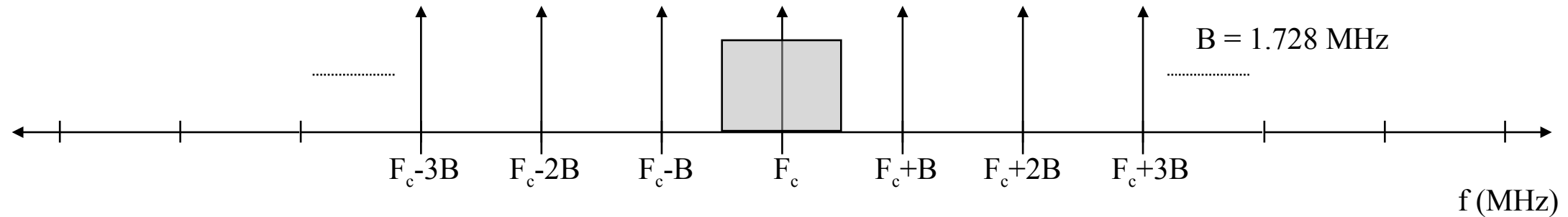
DECT - Digital Enhanced Cordless Telecommunications

# Overview

- 2G DECT specifications and 2G transceiver
- 3G DECT specifications
- Issues in receiver design
- Digital FM demodulator
- Coherent detector for DPSK symbols
- Results and Conclusion

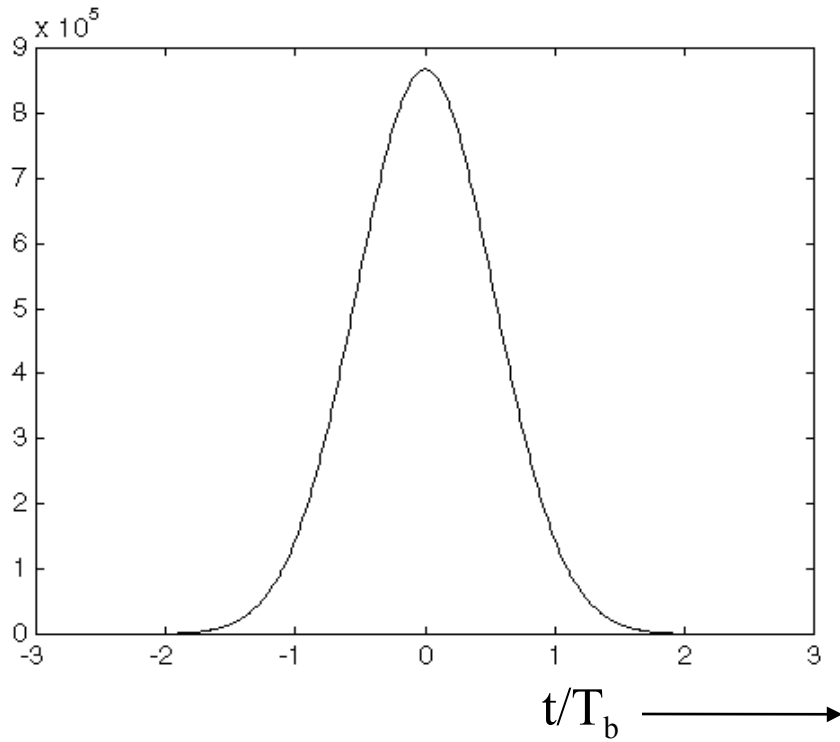
# 2G DECT Specifications

- Multi-Carrier TDMA TDD system
- RF carriers separated by 1.728 MHz ( $=B$ ) each in 1880 MHz to 1938 MHz band

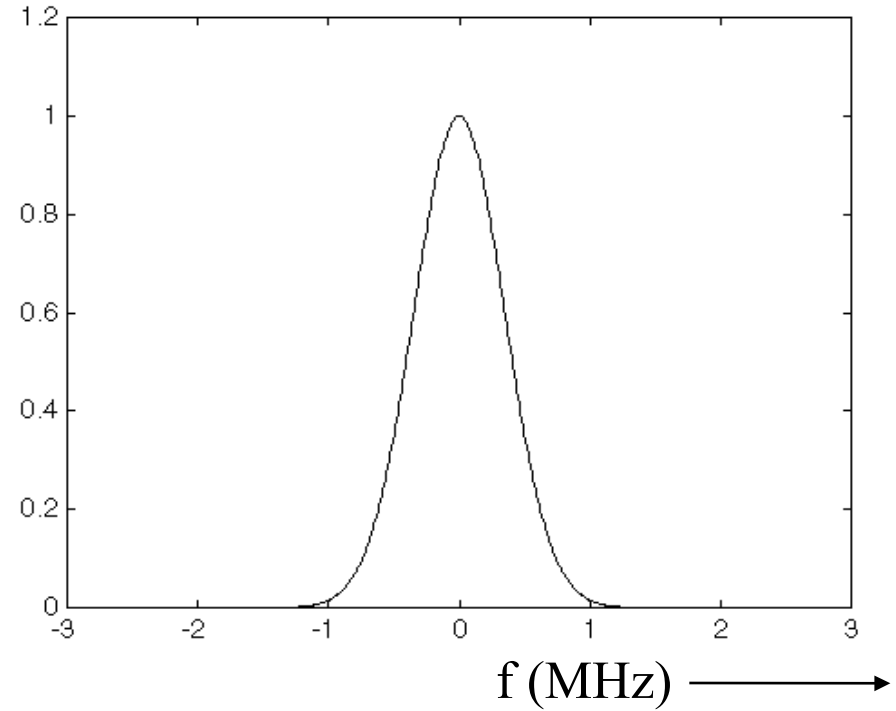


- Bit rate,  $R_b = 1/T_b = 1.152 \text{ Mbps}$
- GFSK modulation with  $BT_b = 0.5$

# 2G DECT Specifications (contd.)



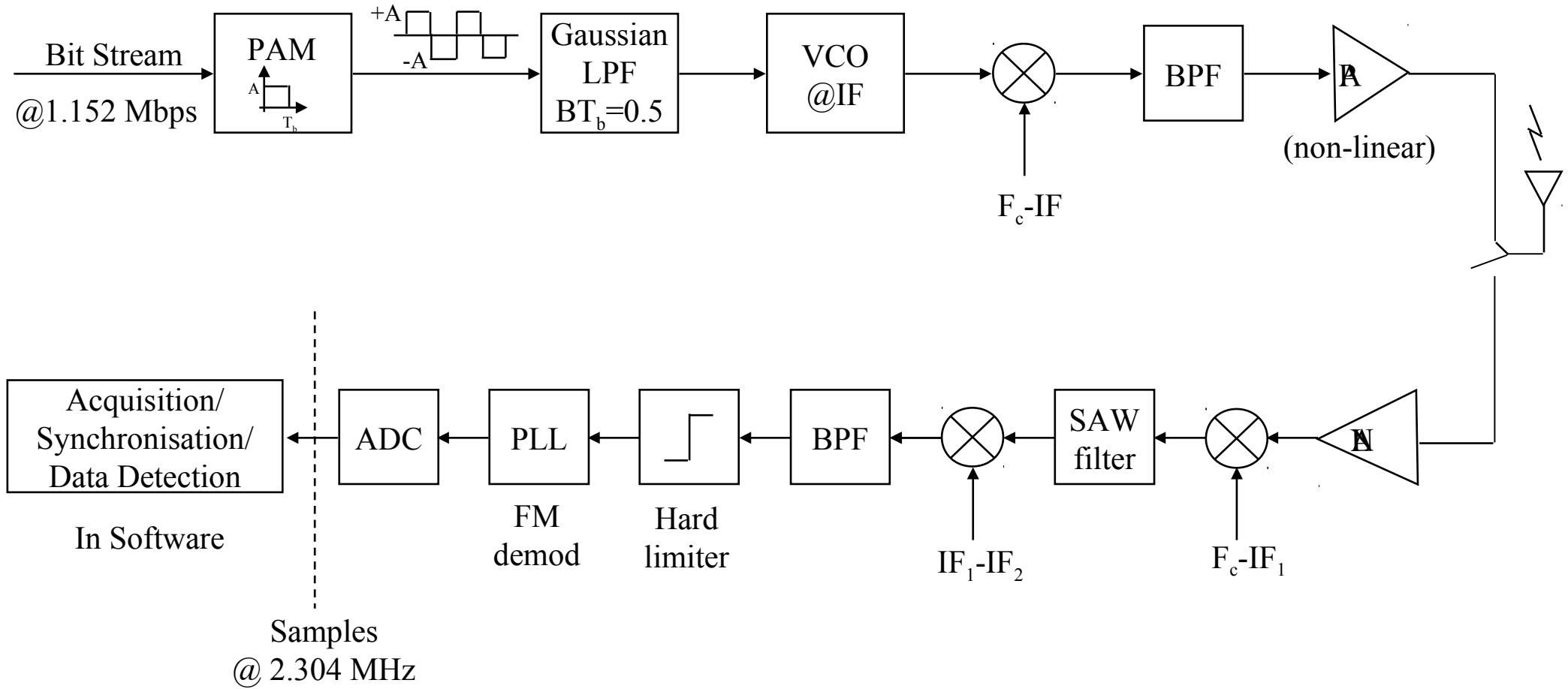
Time domain waveform



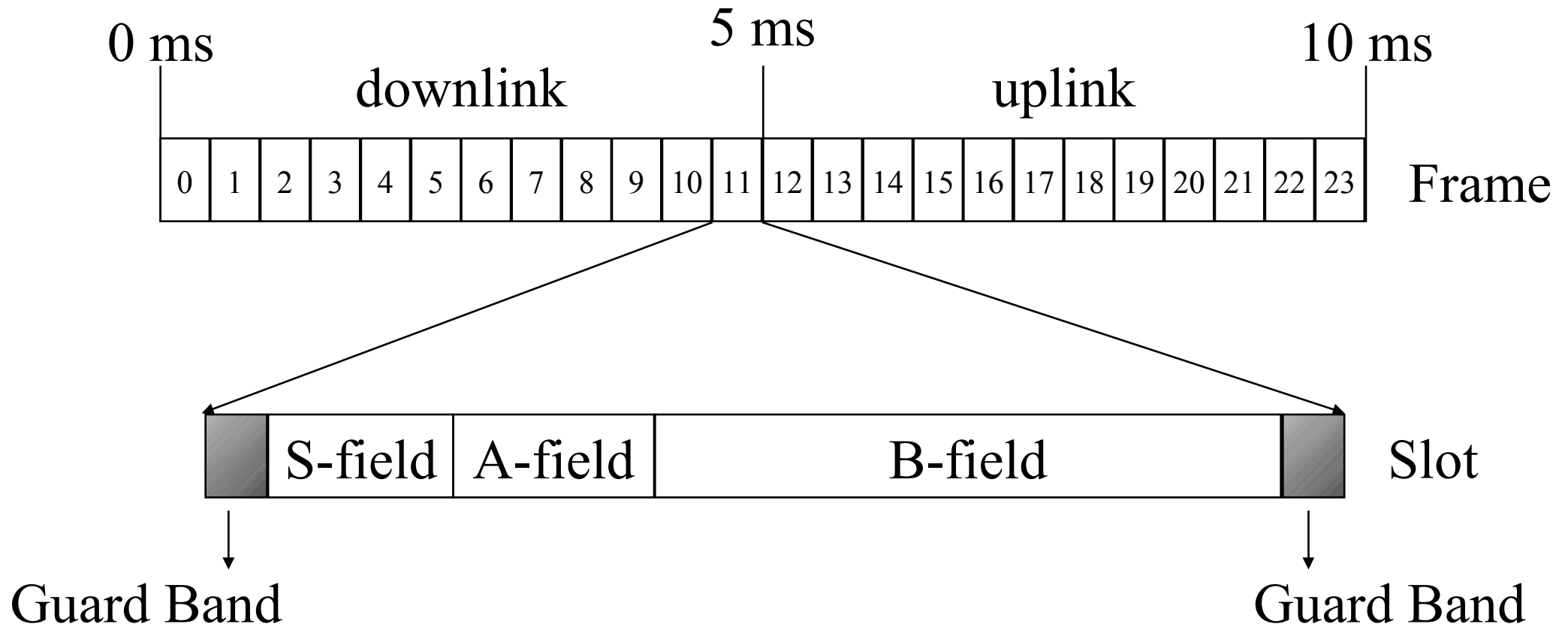
Magnitude spectrum

- Nominal frequency deviation of  $\pm 288$  kHz  
Allowed deviation limits: 70% to 140% of nominal

# GFSK Transceiver



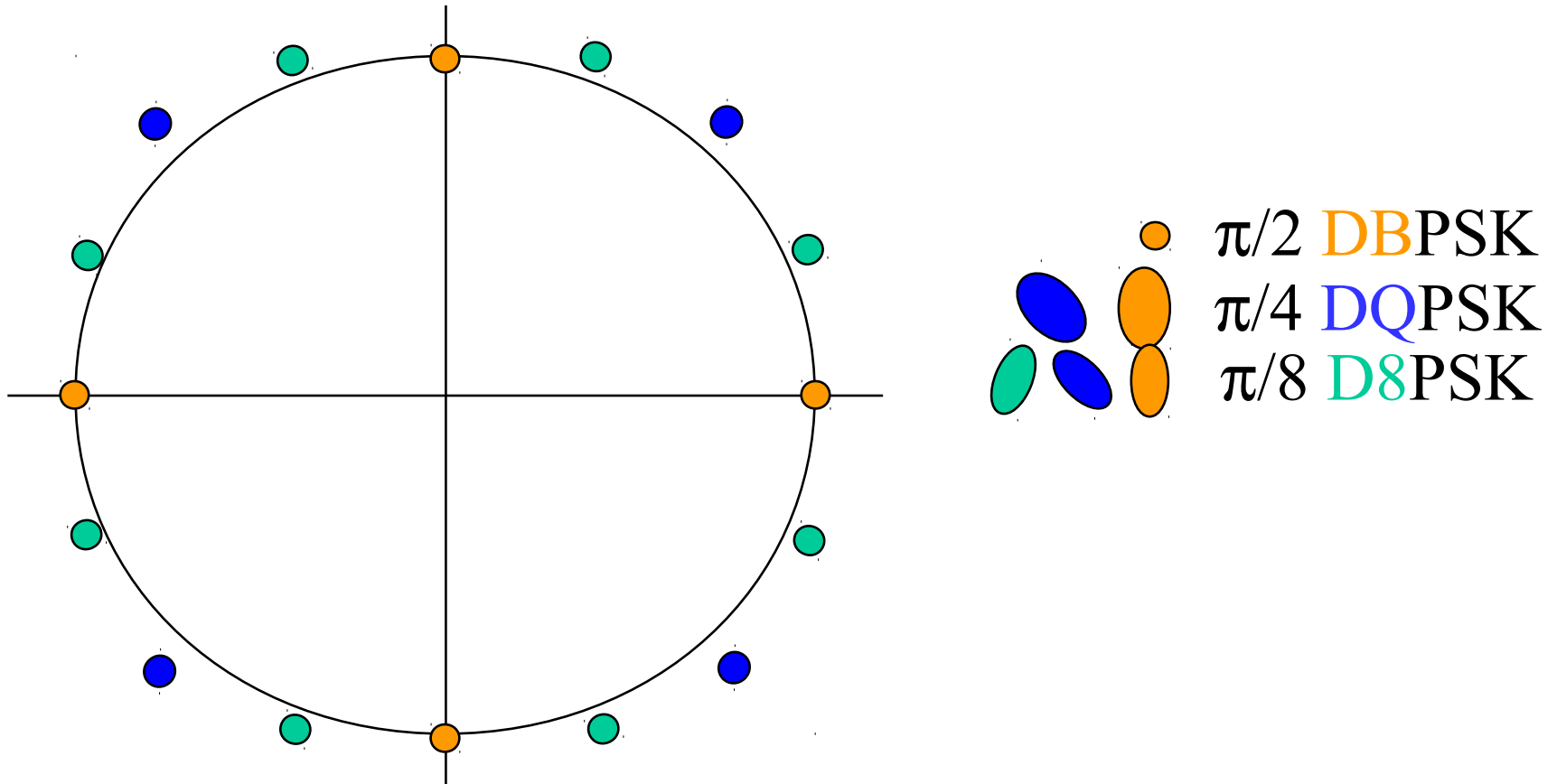
# TDMA Frame Structure in DECT



- S-Field: Synchronisation Field
- A-Field: Control Information
- B-Field: Data Packet

# 3G Physical Layer Specifications

- Modulation Schemes :  $\pi/2$  DBPSK,  $\pi/4$  DQPSK,  $\pi/8$  D8PSK

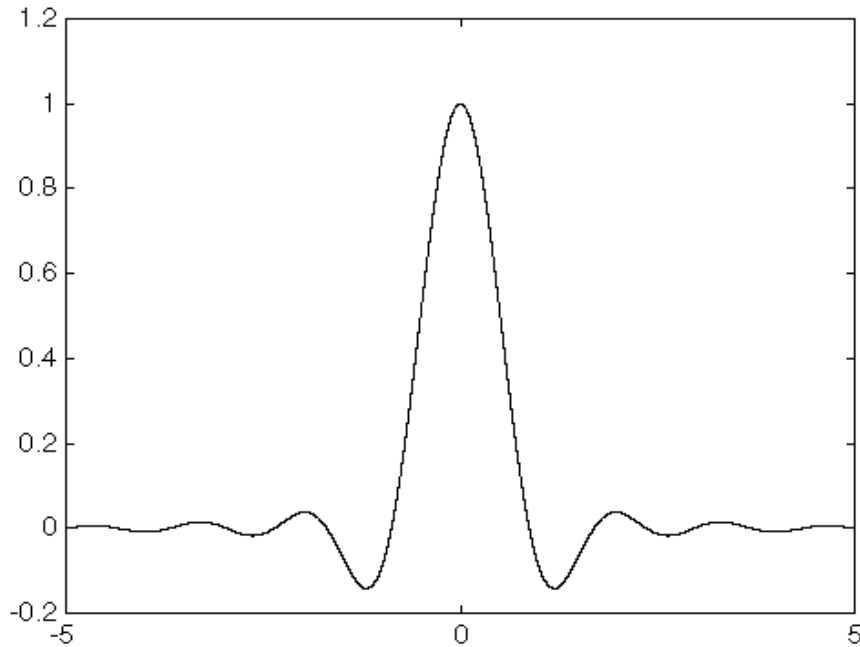


Constellation for differential PSK modulation

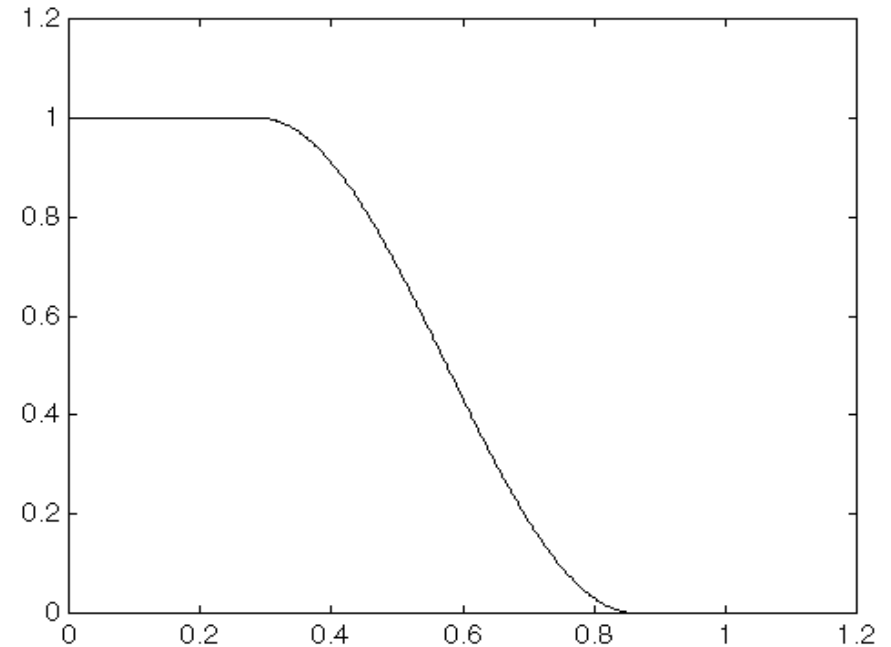


# 3G Physical Layer Specifications (contd.)

- Root-Raised Cosine with 50% excess bandwidth
- Symbol rate is 1.152 Msps
- Zero ISI at the output of the matched filter in the receiver



Normalized time-  
domain waveform



Power spectrum  
(frequency in MHz)

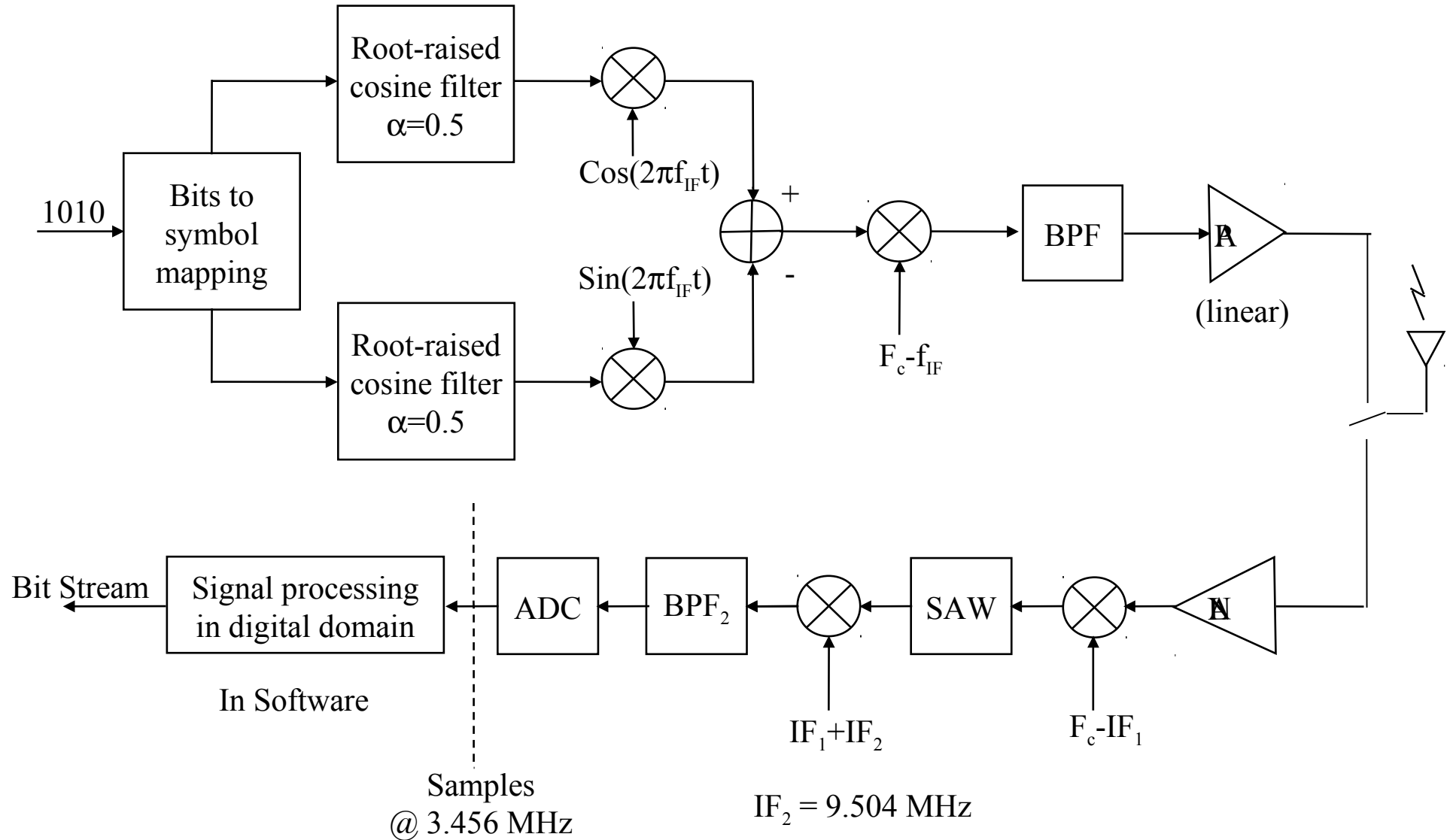
# 3G Physical Layer Specifications (contd.)

- Allowed combination of modulation schemes

Configuration	S-field	A-field	B-field
1a	GFSK	GFSK	GFSK
1b	$\pi/2$ -DB	$\pi/2$ -DB	$\pi/2$ -DB
2	$\pi/2$ -DB	$\pi/2$ -DB	$\pi/4$ -DQ
3	$\pi/2$ -DB	$\pi/2$ -DB	$\pi/8$ -D8

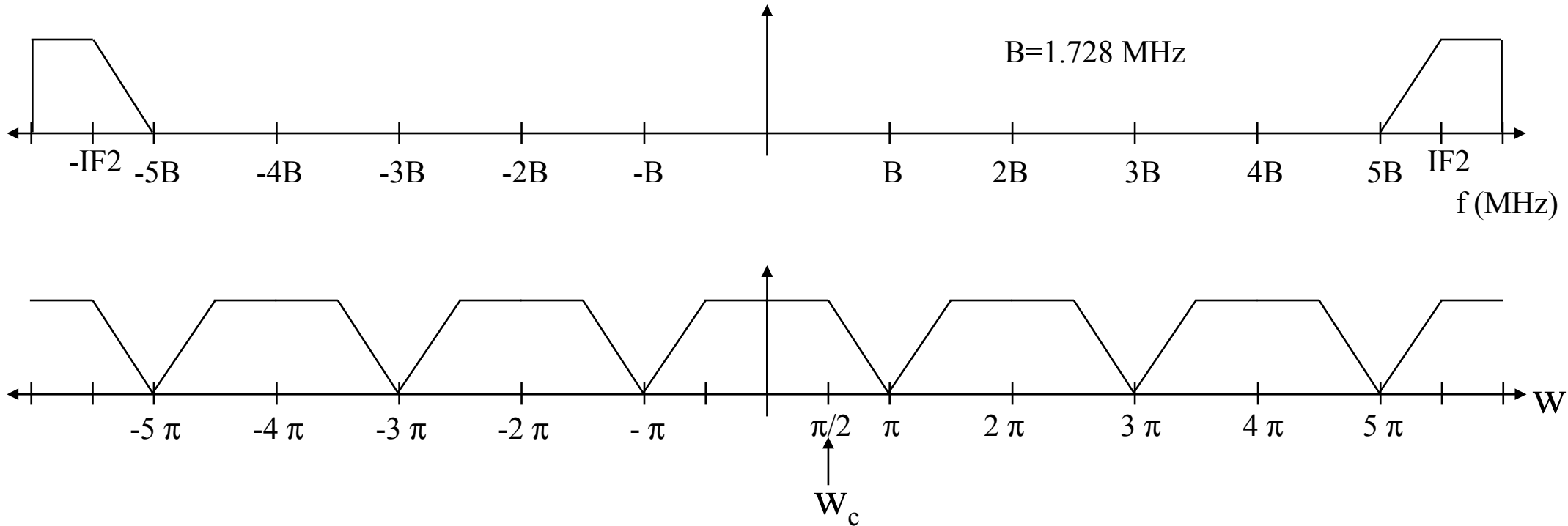
- S and A fields always employ  $\pi/2$ -DBPSK  
 $\Rightarrow$  can be detected in a non-coherent GFSK receiver

# DPSK Transceiver

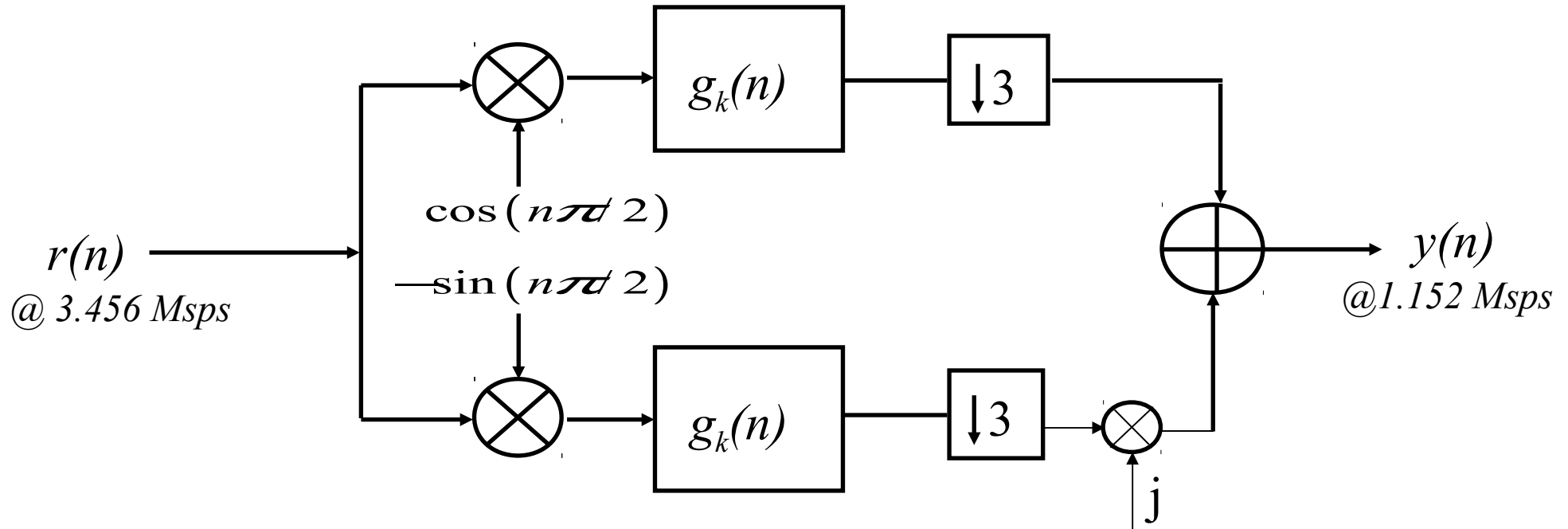


# Bandpass Sampling - choice of IF2

- IF2 = 9.504 MHz = (5+0.5)\*B; B = 1.728 MHz  
⇒ minimum sampling rate,  $F_s = 2B = 3.456$  MHz



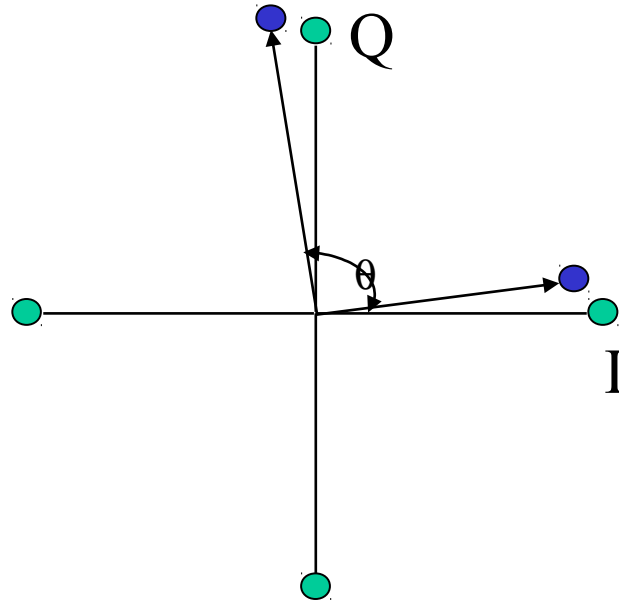
# I-Q Demodulation



- Carrier Frequency and Carrier Phase synchronization
- Clock Frequency and Clock Phase synchronization

# Data Detection in the receiver

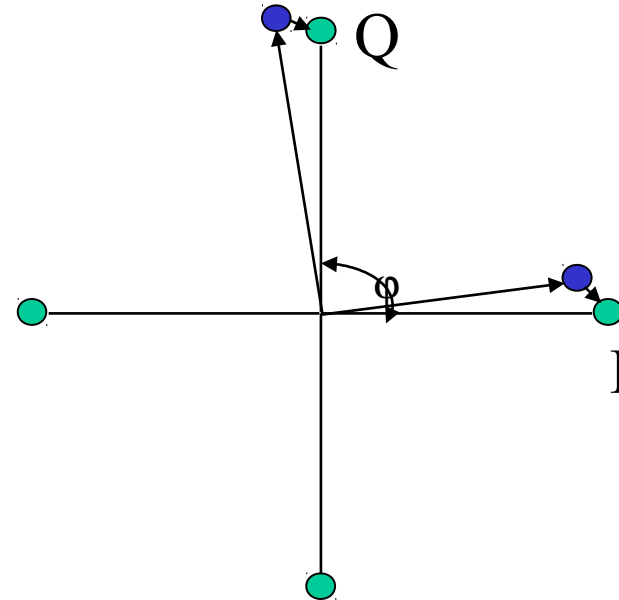
a) non-coherent differential



$\theta > 0 \Rightarrow \text{bit 1}$

$\theta < 0 \Rightarrow \text{bit 0}$

b) coherent differential

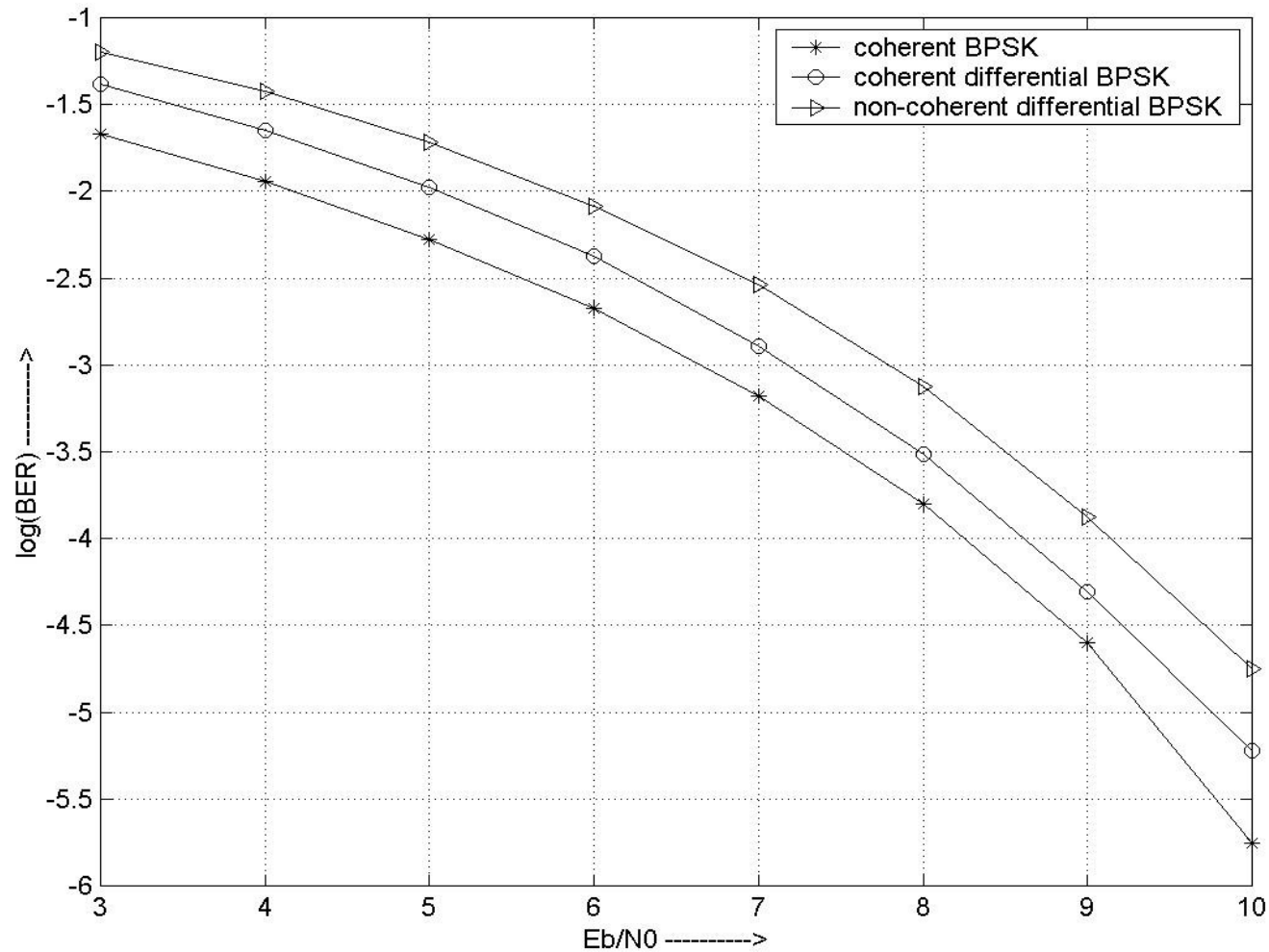


$\phi = +90 \text{ degrees} \Rightarrow \text{bit 1}$

$\phi = -90 \text{ degrees} \Rightarrow \text{bit 0}$

- - Transmitted constellation points
- - Received constellation points (in noise),  $y(n)$

# Performance of Different Demodulation Schemes

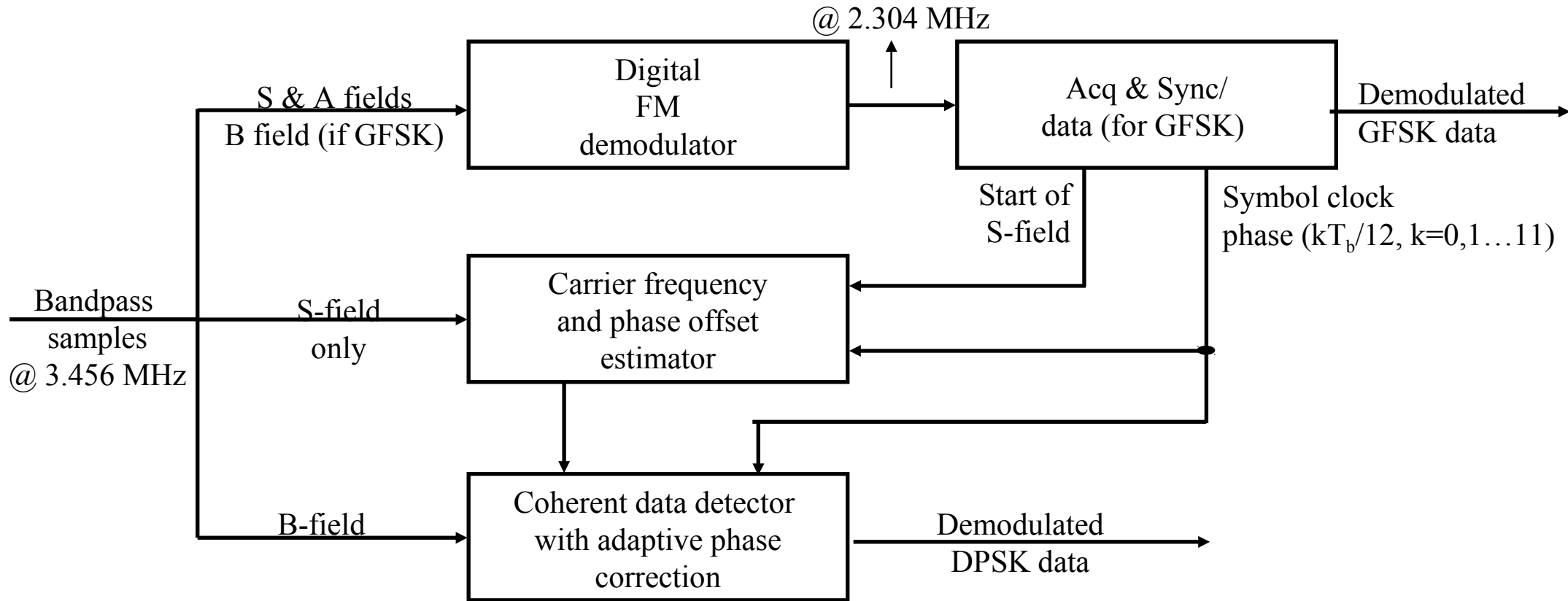


# Tasks in the receiver

- Slot boundary acquisition on power-up/sync loss
- Clock recovery in every slot
- Frequency and phase offset estimation
- Data detection with adaptive carrier phase tracking



# Signal Processing in Digital Domain



# FM Demodulation

- **An FM signal**

$$\begin{aligned}
 r(t) &= A \cos(2\pi f_c t + \phi(t)) ; & \phi(t) &= 2\pi k_f \int m(\tau) d\tau + 2\pi \Delta f t \\
 &= A \cos(\phi(t)) \cos(2\pi f_c t) - A \sin(\phi(t)) \sin(2\pi f_c t) \\
 &\quad \uparrow \qquad \qquad \qquad \uparrow \\
 &\quad x_c(t) \qquad \qquad \quad x_s(t)
 \end{aligned}$$

- **Instantaneous phase**

$$\phi(t) = \tan^{-1}(x_s(t)/x_c(t))$$

- **Instantaneous frequency**

$$\frac{d\phi(t)}{dt} = 2\pi k_f m(t) + 2\pi \Delta f$$

# Digital FM Demodulator

- $r(t)$  sampled @ 3.456MHz  
 $\Rightarrow r(n) = x_c(n)\cos(n\pi/2) - x_s(n)\sin(n\pi/2)$
- $x_c(n) = r(2n+1)(-1)^n$   
 $x_s(n) = r(2n)(-1)^n$   
 $\Rightarrow x_c(n)$  and  $x_s(n)$  are not samples at same time instant.

## Implementations constraints

- Output of Demodulator should be @ 2.304MHz.  
 $\Rightarrow$  Interpolate  $x_c(t)$  and  $x_s(t)$  by 4 and then decimate by 3

**ALSO**

- For  $\tan^{-1}(\ )$  samples of  $x_c(t)$  and  $x_s(t)$  should be at same time instant  
 $\Rightarrow$  Decimate with different phases

# Digital FM Demodulator (contd.)

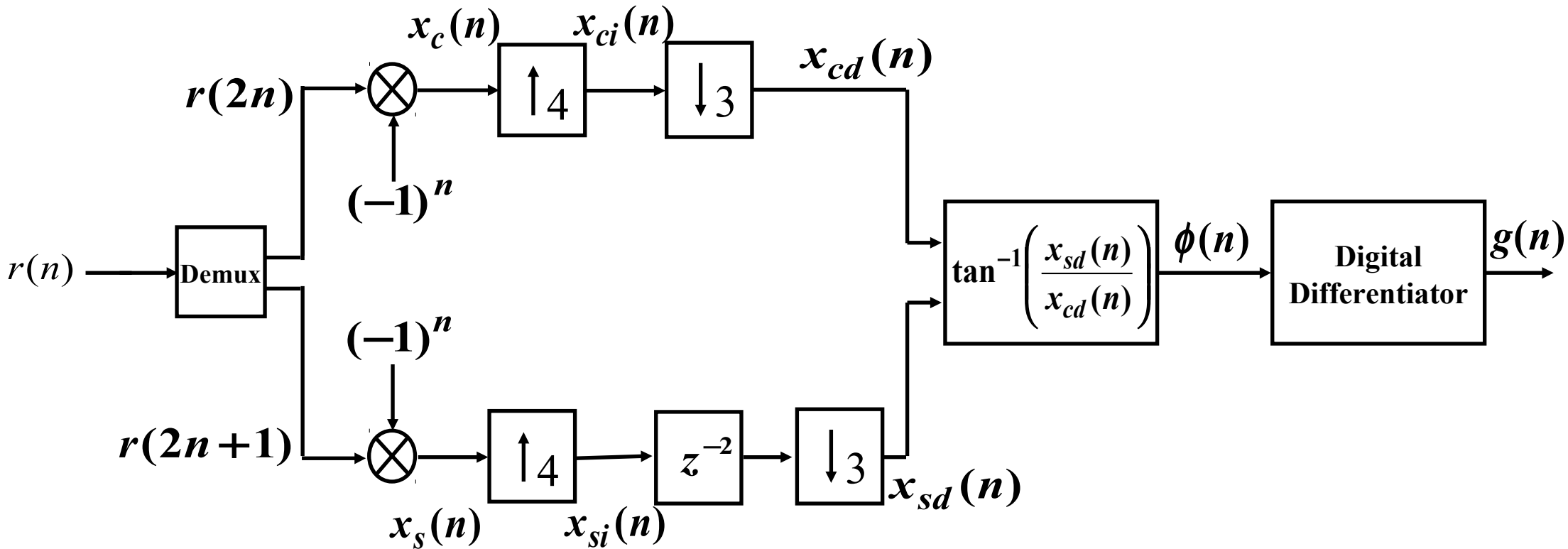
$\tan^{-1}()$  calculation

- Calculation of  $\phi(n) = \tan^{-1}(x_s(n)/x_c(n))$  is computation intensive

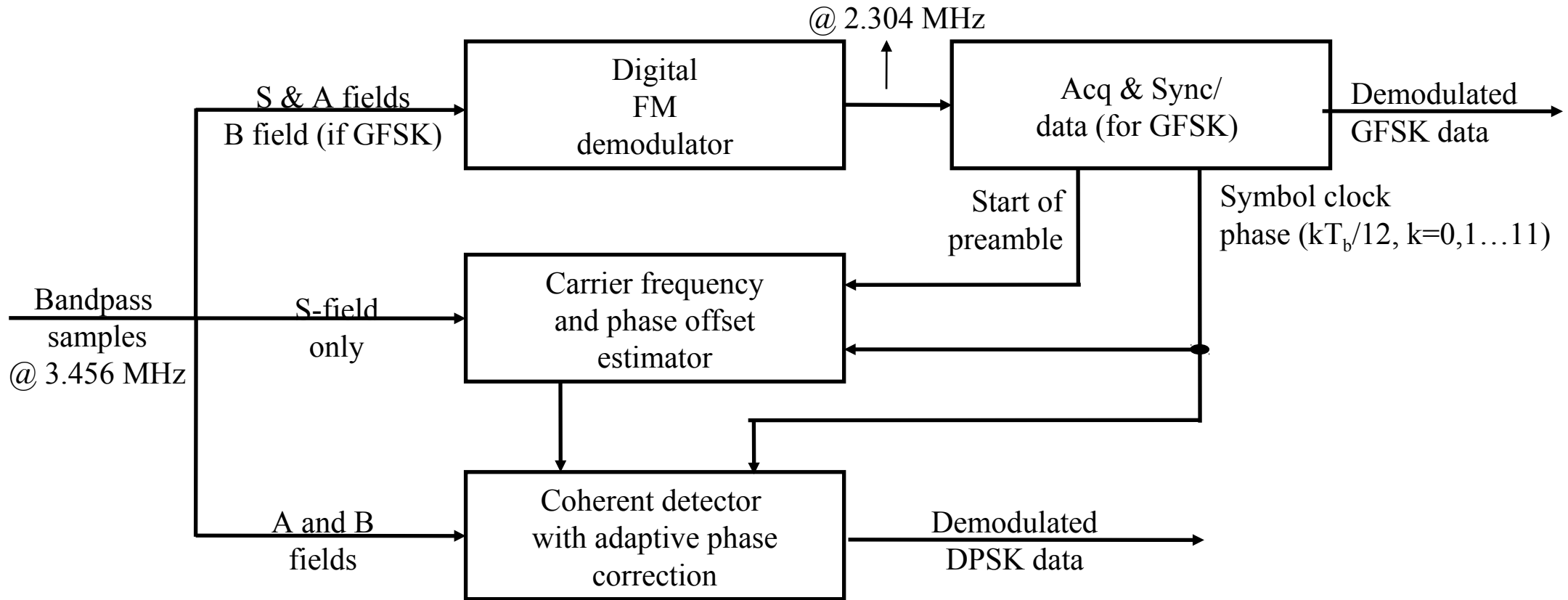
**$\Rightarrow$  Table Look-up method**

Trade-off between computational complexity and memory requirement

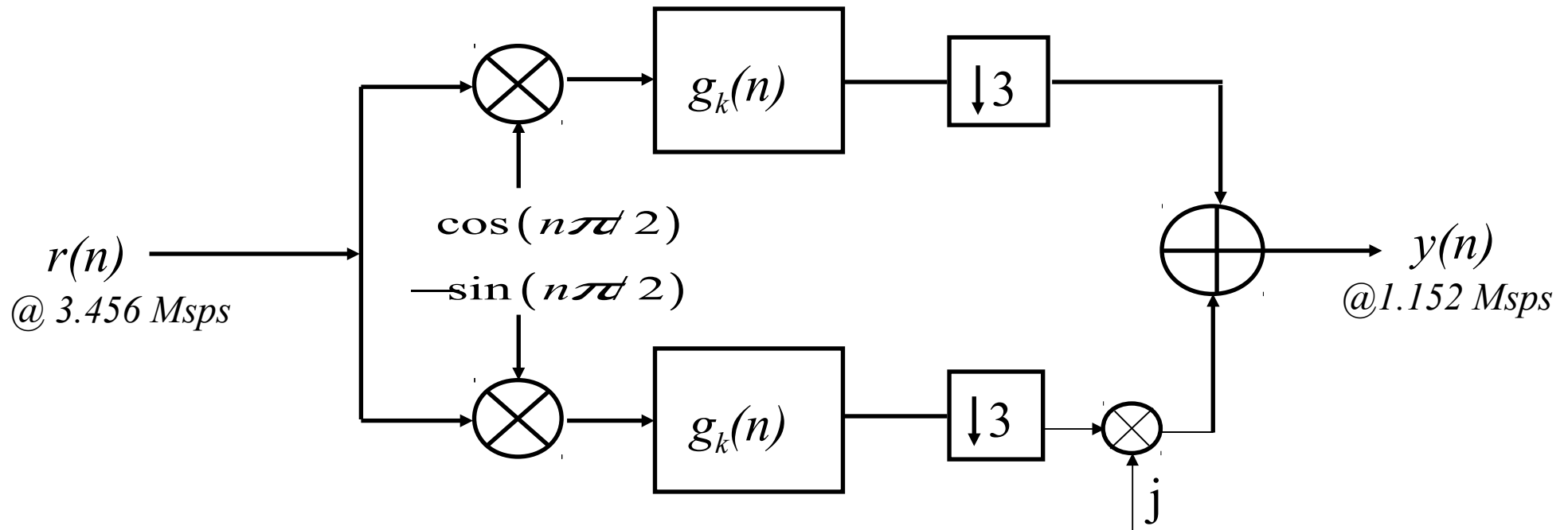
# Soft FM demodulator block diagram



# Signal Processing in Digital Domain



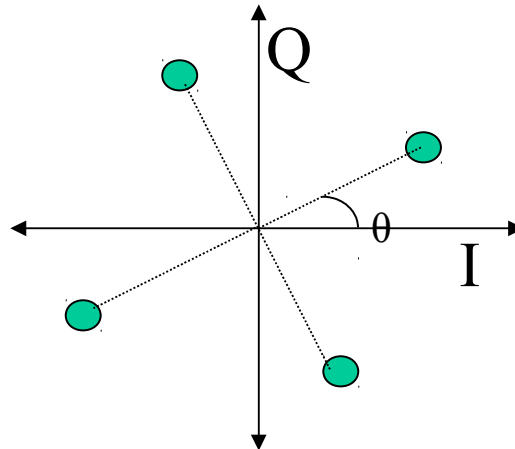
# Soft I/Q Demodulator



- $g_k(n)$  - root-raised cosine matched filter  
 $\Rightarrow g_k(n) = g(nT - kT_b / 12), k = 0, 1, 2, \dots, 11$ , from clock recovery

# Symbols in S-field

- $y(n) = (I_n + jQ_n) e^{j(n\alpha + \theta)}$ , where  $\alpha = 2\pi \cdot \delta f \cdot T_s$
- S-field (1-0 pattern) always DBPSK  
 $\Rightarrow y(n) = [I_o + jQ_o][e^{j\theta}, e^{j(\pi/2 + \theta)}, e^{j\theta}, \dots]$ ,  $\delta f = 0$ ,  $\theta \neq 0$





# Estimation of $\delta f$

- $y(n) = A.[I_o + jQ_o].[e^{j\theta}, e^{j(\pi/2 + \alpha + \theta)}, e^{j(2\alpha + \theta)}, \dots]$
- $y_1(n) = y(2n) = A.(I_o + jQ_o).e^{j(2n\alpha + \theta)}$
- $y_2(n) = y(2n+1) = A.(I_o + jQ_o).e^{j\pi/2}.e^{j((2n+1)\alpha + \theta)}$
- For  $i=1,2$   
 $y_i(n).y_i^*(n-1) = A^2 e^{j2\alpha} = A^2 [\cos(2\alpha) + j\sin(2\alpha)]$
- Average  $y_i(n).y_i^*(n-1)$  over the preamble to get an estimate of  $\alpha$ , denoted by

# Estimation of $\theta$

- Compensate for  $\delta f$

$$y_d(n) = y(n)e^{-jn\hat{\alpha}} = [I_n + jQ_n]e^{j(\alpha - \hat{\alpha})n + \theta} \approx [I_n + jQ_n]e^{j\theta}$$

- Form two sequences  $z_e(n)$ ,  $z_o(n)$

$$\Rightarrow z_e(n)$$

$$z_e(2n) = y_d(2n)e^{-j\pi/2}$$

$$z_e(2n+1) = y_d(2n+1)$$

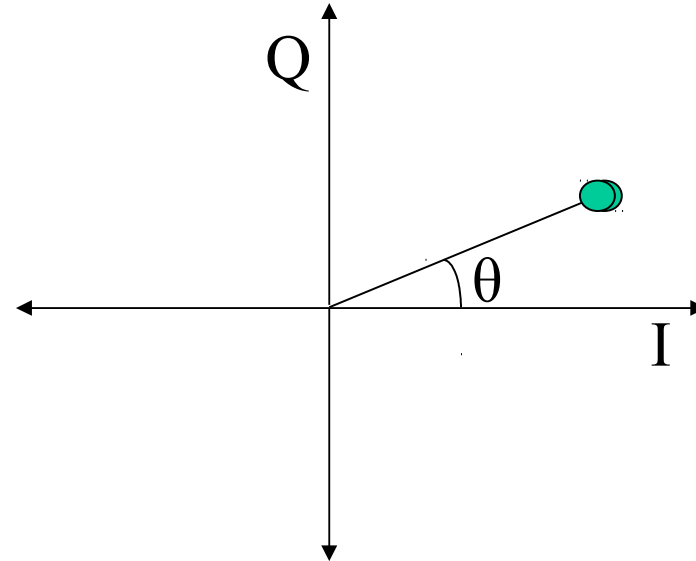
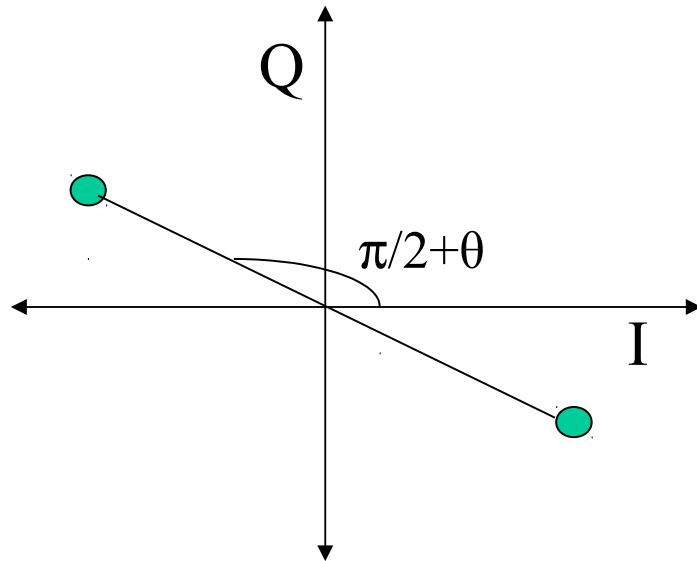
$$\Rightarrow z_o(n)$$

$$z_o(2n) = y_d(2n)$$

$$z_o(2n+1) = y_d(2n+1)e^{-j\pi/2}$$

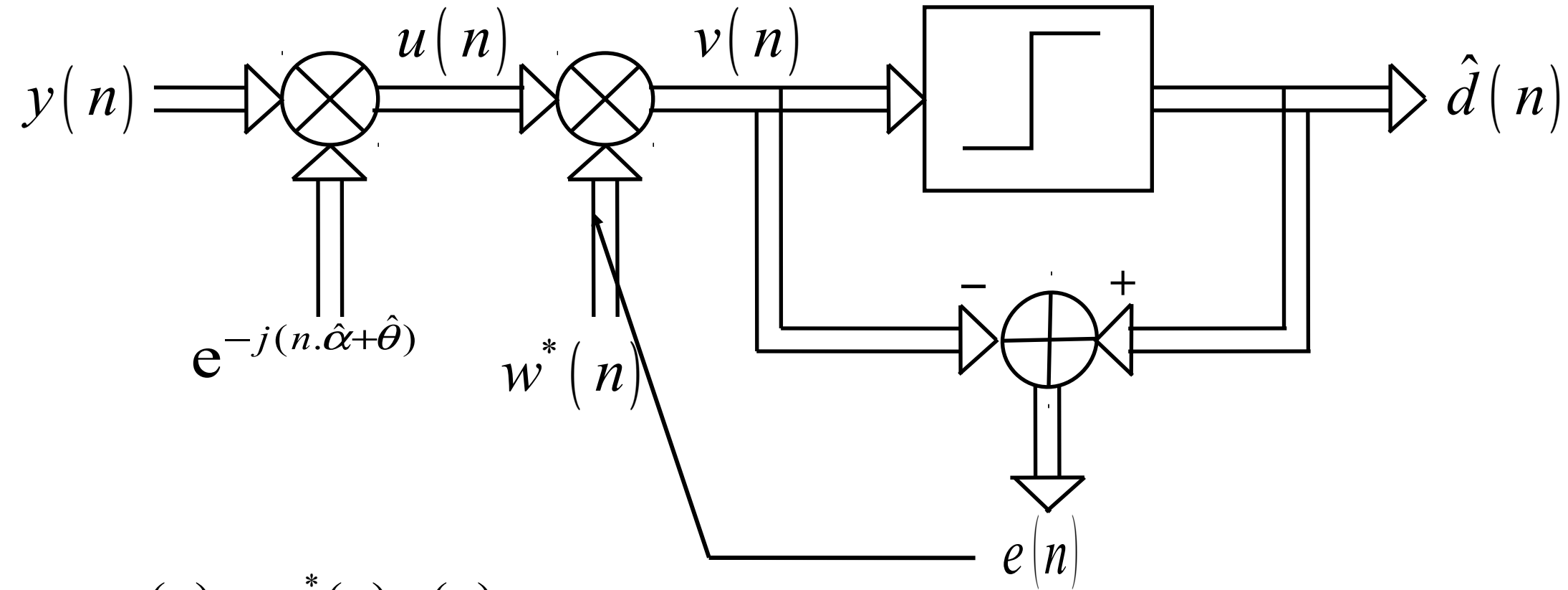
# Estimation of $\theta$ (contd.)

- $z_e(n)$  will be points from one of the following,  
 $z_o(n)$  will be from the other



- The average of  $z_e(n)$  or  $z_o(n)$  will be small;  
the other sequence is used to estimate,  $\hat{\theta}$

# Data detection with Phase Tracking

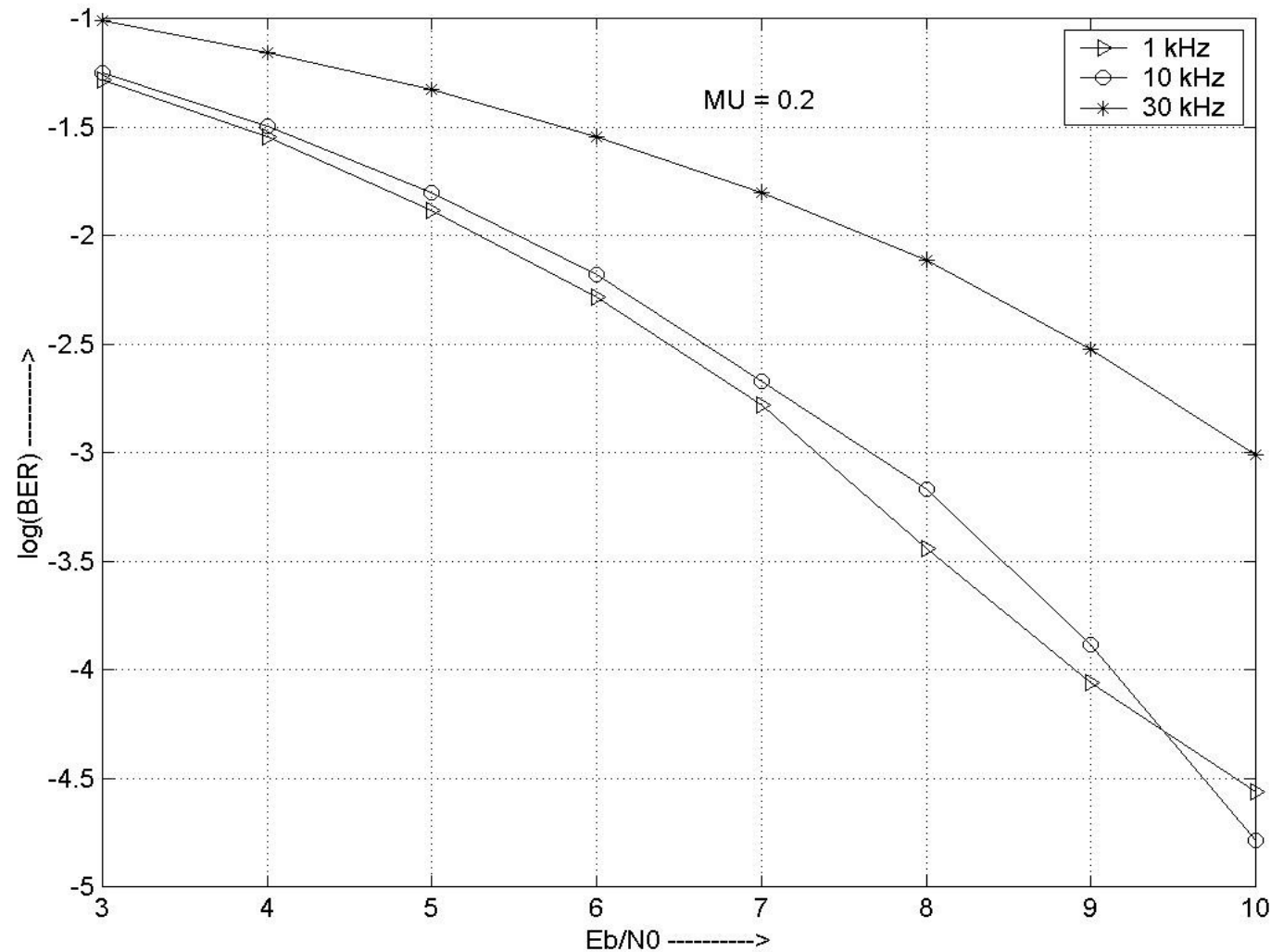


$$v(n) = w^*(n).u(n)$$

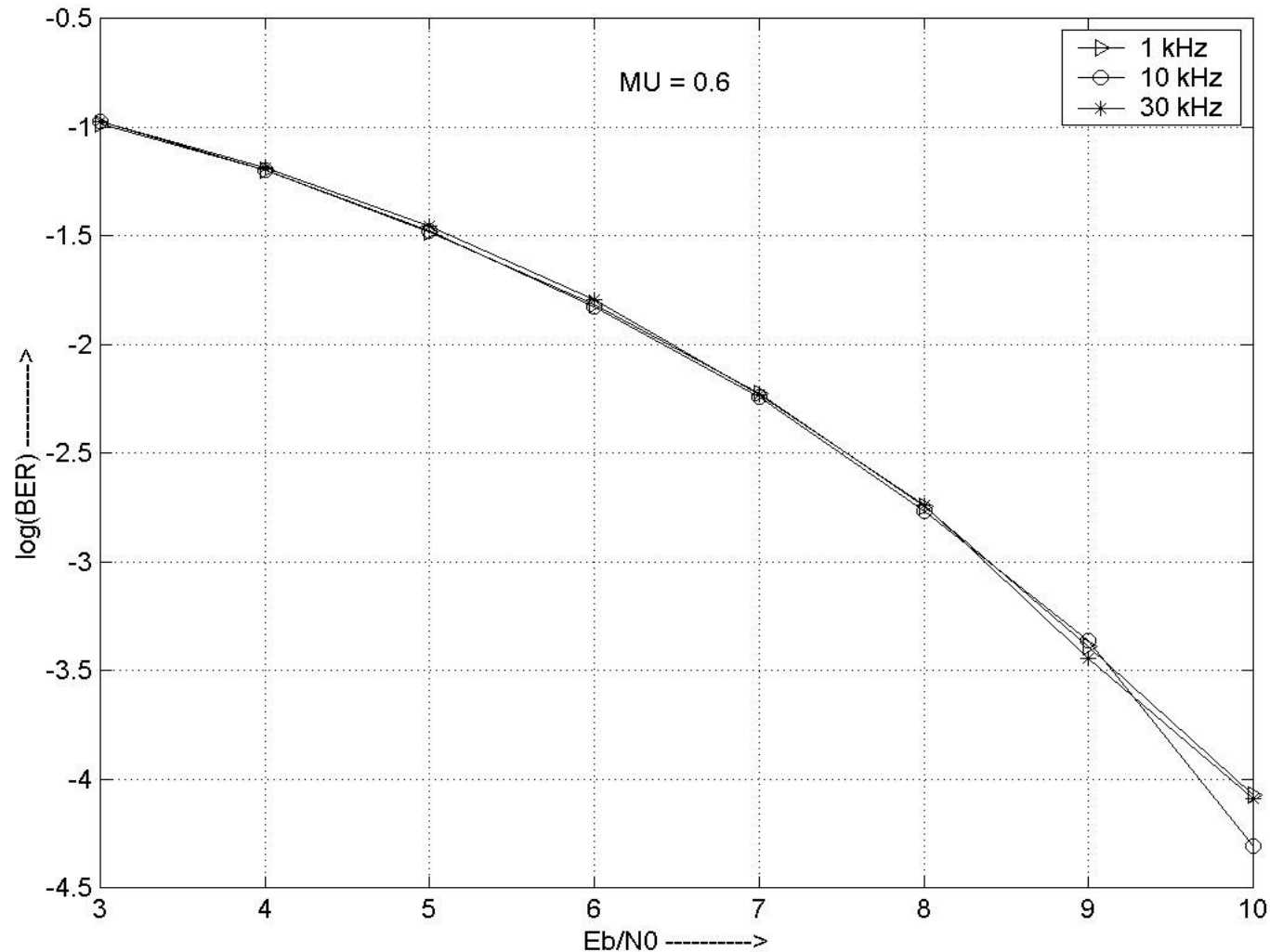
$$e(n) = \hat{d}(n) - v(n)$$

$$w(n) = w(n-1) + \mu.u(n).e^*(n)$$

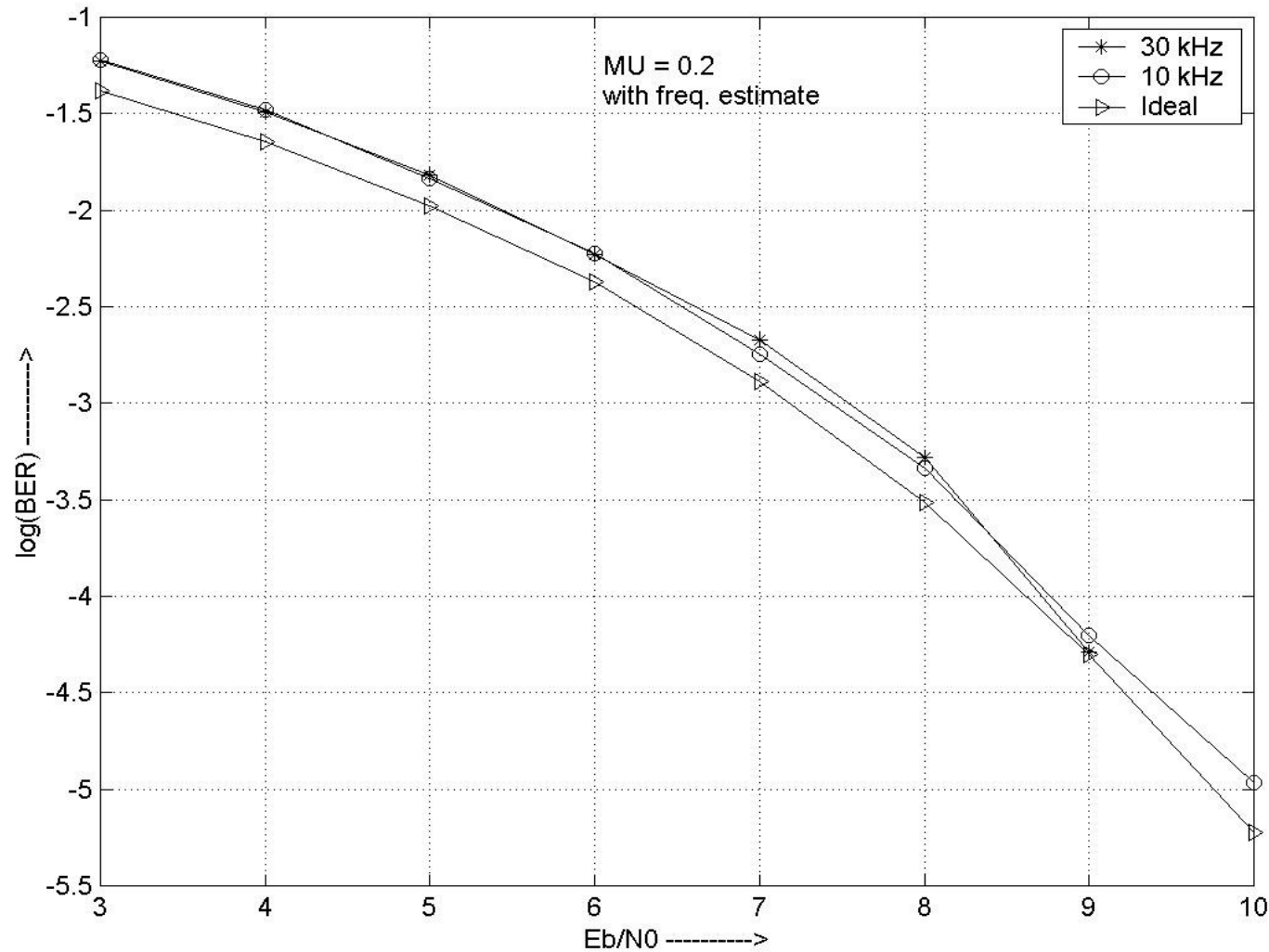
# Performance of the LMS Algorithm



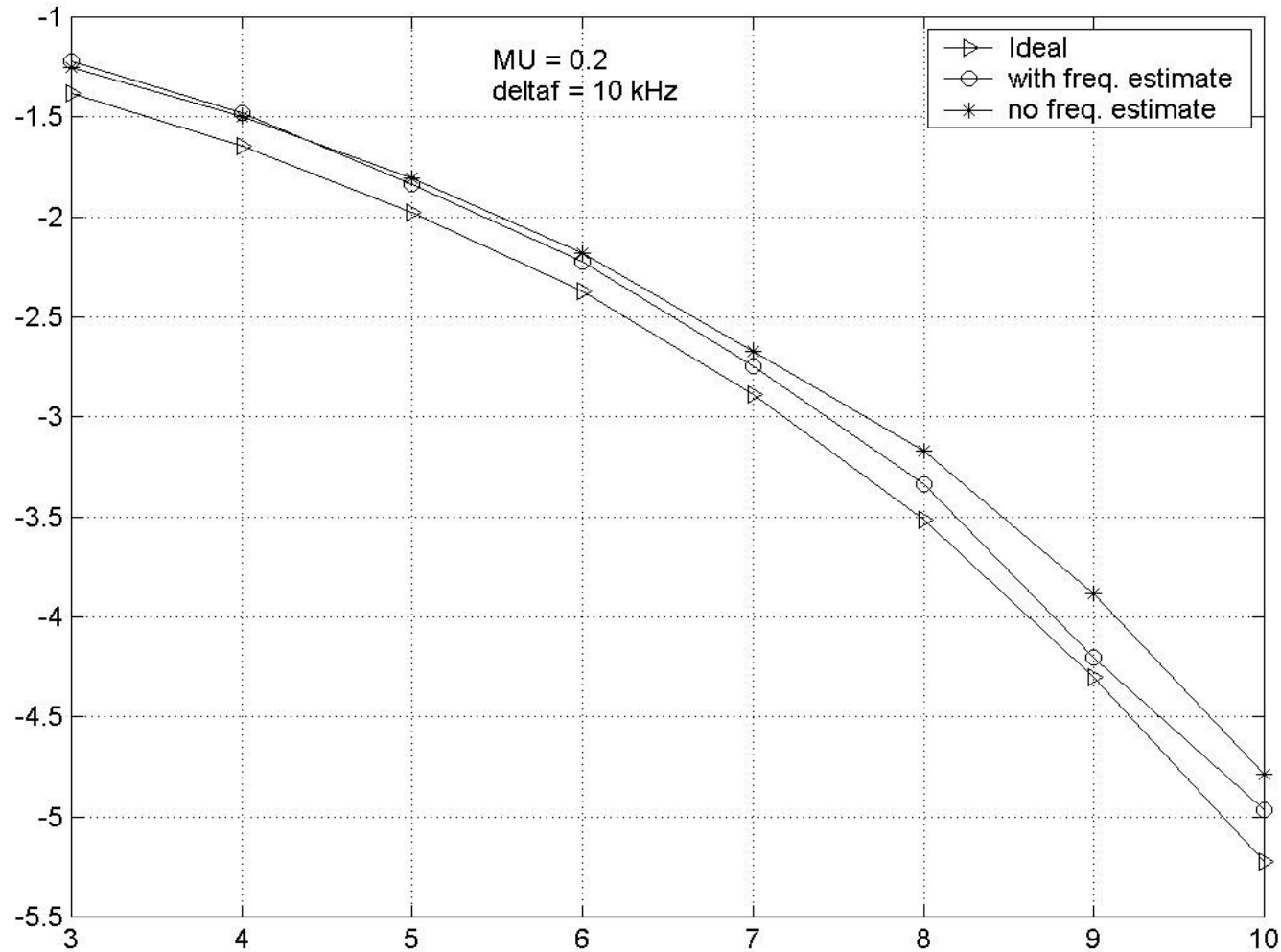
# Performance of the LMS Algorithm (contd.)



# Performance of the Receiver Algorithm



# Performance of the Receiver Algorithm





# Conclusions

- Transceiver hardware design for 3G DECT physical layer was presented
- Issues involved in the receiver design were discussed
- Carrier synchronization algorithms were discussed
- Performance results of the receiver were presented