# Introduction to R Software 

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## Lecture 39

## Programming in $\mathbf{R}$

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## Steps to write a programme

A programme is a set of instructions or commands which are written in a sequence of operations i.e., what comes first and what comes after that.
$\square$ The objective of a programme is to obtain a defined outcome based on input variables.
$\square$ The computer is instructed to perform the defined task.

## Steps to write a programme

Computer is an obedient worker but it has its own language.
$\square$ We do not understand computer's language and computer does not understand our language.

The software help us and works like an interpreter between us and computer.

## Steps to write a programme

We say something in software's language and software informs it to computer.

Computer does the task and informs back to software.

The software translates it to our language and informs us.

## Steps to write a programme

$\square$ Programme in $R$ is written as a function using function.
$\square$ Write down the objective, i.e., what we want to obtain as an outcome.
$\square$ Translate it in the language of $R$.
$\square$ Identify the input and output variables.
$\square$ Identify the nature of input and output variables, i.e., numeric, string, factor, matrix etc.

## Steps to write a programme

$\square$ Input and output variables can be single variable, vector, matrix or even a function itself.
$\square$ The input variables are the component of function which are reported in the argument of function()
$\square$ The output of a function can also be input to another function.
$\square$ The output of an outcome can be formatted as per the need and requirement.

## Steps to write a programme

Tips:

* Loops usually slower the speed of programmes, so better is to use vectors and matrices.
* Use \# symbol to write comment to understand the syntax.
* Use the variable names which are easy to understand.
* Don't forget to initialize the variables.


## Example 1

Suppose we want to compute

$$
\frac{\sum_{i=1}^{n} x_{i}^{3}}{\sum_{i=1}^{n} y_{i}^{3}} \text { and } \sum_{i=1}^{n}\left(\frac{x_{i}}{y_{i}}\right)^{3}
$$

Data

$$
X_{1}, X_{2}, \ldots, X_{n}
$$

$$
y_{1}, y_{2}, \ldots, y_{n}
$$

$x, y$ : Two data vectors

## Example 1

Input variables: $x, y, n$ (if $x$ and $y$ have different number of observations, choose different numbers, say n1 and n2)

Output variables: $\mathbf{g}, \mathbf{h}, \quad g=\frac{\sum_{i=1}^{n} x_{i}^{3}}{\sum_{i=1}^{n} y_{i}^{3}}$ and $h=\sum_{i=1}^{n}\left(\frac{x_{i}}{y_{i}}\right)^{3}$

We need summation, so use sum function or alternatively compute it through vectors.

```
Example 1
# Remove all data
rm(list = ls())
# Define input data vectors, for example
x = c(10,20,30)
y = c(1,2,3)
++++++START OF FUNCTION+++++++++
example1 <- function(x,y)
# Start of function body
{
# First give all other input variables
# Computation of number of observations
n <- length(x)
```

```
Example 1
CONTD...
#Initialize the values to store cube values
x1 <- 0
y1 <- 0
z1 <- 0
#Start of loop
for (i in 1:n)
{
# Define x1, y1 and z1 to store their cubes
        x1[i] <- x[i]^3
        y1[i] <- y[i]^3
        z1[i] <- (x[i]/y[i])^3
#End of loop
    }
```

    CONTD....
    ```
Example 1
CONTD...
# Obtain the sum of cube quantities
sum_cube_x <- sum(x1)
sum_cube_y <- sum(y1)
sum_cube_z <- sum(z1)
# Computation of g and h
g <- sum_cube_x/sum_cube_y
h <- sum_cube_z
# Format the output
cat("The value of g and h are", g, "and", h,
"\n", )
}
+++++++END OF FUNCTION+++++++++
```

```
Example 1: At a glance
example1 <- function(x,y)
{
    n <- length(x)
    x1 <- 0
    y1 <- 0
    z1 <- 0
    for (i in 1:n)
    {
        x1[i] <- x[i]^3
        y1[i] <- y[i]^3
        z1[i] <- (x[i]/y[i])^3
    }
    sum_cube_x <- sum(x1)
    sum_cube_y <- sum(y1)
    sum_cube_z <- sum(z1)
    g <- sum_cube_x/sum_cube_y
    h <- sum_cube_z
    cat("The value of g and h are", g, "and", h,
            "respectively", "\n")
}
```


## Example 1

```
R R Console
example1 <- function(x,y)
+ {
+ n <- length(x)
+ x1 <- 0
+ y1 <- 0
+ z1 <- 0
+ for (i in 1:n)
+ {
+ x1[i] <- x[i]^3
y1[i] <- y[i]^3
z1[i] <- (x[i]/y[i])^3
    }
    sum_cube_x <- sum(x1)
    sum cube y <- sum(y1)
    sum_cube_z <- sum(z1)
    g <- sum_cube_x/sum_cube_y
    h <- sum_cube_z
    cat("The value of g and h are", g, "and", h,
    "respectively", "\n")
    }
```


## Example 1

```
RR R Console
> examplel
function(x,y)
{
    n <- length (x)
    x1 <- 0
    y1 <- 0
    z1 <- 0
    for (i in 1:n)
    {
        x1[i] <- x[i]^3
        y1[i] <- y[i]^3
        z1[i] <- (x[i]/y[i])^3
    }
    sum_cube_x <- sum(x1)
    sum_cube_y <- sum(y1)
    sum_cube_z <- sum(z1)
    g <- sum_cube_x/sum_cube_y
    h <- sum_cube_z
    cat("The value of g and h are", g, "and", h,
            "respectively", "\n")
}
> I
```


## Example 1

$>x=c(10,20,30)$
$>y=c(1,2,3)$
$>\operatorname{example}(x, y)$
The value of $g$ and $h$ are 1000 and 3000 respectively
$>x=c(67,87,26,85,6,45)$
$>y=c(54,64,22,94,20,88)$
$>$ example1 $(x, y)$
The value of $g$ and $h$ are 0.862584 and 6.972778 respectively

Just by changing the values of $x$ and $y$, one can get required different outcomes.

## Example 1

## R R Console

```
> x=c(10,20,30)
> y=c(1,2,3)
> example1 (x,y)
The value of g and h are 1000 and 3000 respectively
>
> x=c(67,87,26,85,6,45)
> y=c (54,64,22,94,20,88)
> example1 (x,y)
The value of g and h are 0.862584 and 6.972778 respectively
> |
```

